



# COMP 4752

## Computational Intelligence

### **Lecture 6**

Assignment Tips and  
A\* Search Improvements

# Assignment 1 Marking Scheme

- code style / modularity / readability 10%
- use of decent admissible heuristic 05%
- is\_connected all correct for size = 1 15%
- is\_connected all correct for size = 2, 3 10%
- get\_path costs correct for size = 1 40%
- get\_path costs correct for size = 2,3 20%
  - You MUST use the A\* algorithm for get\_path

# A\* Graph-Search (GENERAL)

```
1.  Function AStar(problem, h(n))
2.      closed = empty set                                # stores states (tile locations)
3.      open = [(Node(problem.initial_state))]           # stores Nodes
4.      while (true)
5.          if (open.empty) return fail
6.          node = remove_min_f_node(open)
7.          if (node.state is goal) return solution
8.          closed.add(node.state)
9.          for child in Expand(node, problem)
10.             if (child.state in closed) continue
11.             child.f = child.g + h(child)
12.             open.add(child)
```

# A\* Graph-Search (Improvement)

```
1.  Function AStar(problem, h(n))
2.      closed = empty set                                # stores states (tile locations)
3.      open = [(Node(problem.initial_state))]           # stores Nodes
4.      while (true)
5.          if (open.empty) return fail
6.          node = remove_min_f_node(open)
7.          if (node.state is goal) return solution
8.          closed.add(node.state)
9.          for child in Expand(node, problem)
10.             if (child.state in closed) continue
11.             child.f = child.g + h(child)
12.             if (any node in open with state = child.state and g < child.g) continue
13.             open.add(child)
```

# Node Implementation

```
class Node:  
    def __init__(self, tile):  
        self.state = tile  
        self.action = (0, 0)  
        self.g, self.f = 0  
        self.parent = None
```

# Node Implementation

```
class Node:
    def __init__(self, tile):
        self.state = tile
        self.action = (0, 0)
        self.g, self.f = 0
        self.parent = None

    def __lt__(self, other):
        return self.f < other.f
```

# General AI Programming Tips

- Algorithm should read like pseudocode wherever possible
- All get / set data functionality should be handled by functions
- Don't dirty up algorithm with indices or details about data storage / locations
- Be modular wherever possible

# A\* Search (Python)

```
1. def a_star_search(self, start, goal, size):
2.     closed = []
3.     open = [Node(start)]
4.     while (len(open) > 0):
5.         node = remove_min_from(open)
6.         if (node.state == goal) return self.reconstruct_path(node)
7.         closed.append(node.state)
8.         for child in self.expand(node):
9.             if (child.state in closed) continue
10.            child.f = child.g + self.grid.estimate_cost(start, goal)
11.            open.append(child)
12.     return []
```

# Open List Implementation

- Implement functions in  $A^*$  class
  - `add_to_open(node)`
  - `remove_min_from_open()`
  - `is_in_open(node)`
  - `is_in_closed(state)`
- Start out with open / closed as Python list
- Algorithm calls above functions, shouldn't care about how the data is stored
- Gradually move to more clever Node storage

# Open / Closed List Query Time

- “Is a given state on the open / closed list”
- Scanning list =  $O(n)$
- Closed list as set =  $O(\log n)$  query
- Open list
  - If we sort it, will sort on  $f$  values
  - Can't query a state in  $\log n$  time
  - How to speed up this query?

# Open List Query Time

- If problem is small, use a lookup table
- 2D array [map\_width][map\_height]
- $\text{Array}[x][y] = \# \text{ of } (x,y) \text{ on the open list}$
- Constant time queries!  $O(1)$
- Updating the table
  - $\text{add\_to\_open}(\text{node})$   $a[x][y] += 1$
  - $\text{remove\_min\_from\_open}()$   $a[x][y] -= 1$

# A\* Graph-Search (Improvement)

```
1.  Function AStar(problem, h(n))
2.      closed = empty set                                # stores states (tile locations)
3.      open = [(Node(problem.initial_state))]           # stores Nodes
4.      while (true)
5.          if (open.empty) return fail
6.          node = remove_min_f_node(open)
7.          if (node.state is goal) return solution
8.          closed.add(node.state)
9.          for child in Expand(node, problem)
10.             if (child.state in closed) continue
11.             child.f = child.g + h(child)
12.             if (any node in open with state = child.state and g < child.g) continue
13.             open.add(child)
```

# Informing the Algorithm

- **NOTE: FOR OUR ASSIGNMENT PROBLEM ONLY**
- Think about the case in red
  - if** (any node in open with state = child.state  
and  $g < \text{child.g}$ ) **continue**
  - open.add(child)**
- “If there is a node on the search tree that’s on a shorter path through this state, then don’t bother searching this child node’s path”
- Our problem can’t generate a shorter path through a node with a higher  $g$  cost

# Informing the Algorithm

- What about the opposite case?
- “If the new path through this node is shorter than any other node on the open list, don’t bother searching **those** paths!”
- Instead of putting a new node onto the open list, we can instead **replace** the existing node on the open list with the newly generated one

# A\* Graph-Search (2D Grid Improve)

```
1.  Function AStar(problem, h(n))
2.      closed = empty set                # stores states (tile locations)
3.      open = [(Node(problem.initial_state))] # stores Nodes
4.      while (true)
5.          if (open.empty) return fail
6.          node = remove_min_f_node(open)
7.          if (node.state is goal) return solution
8.          closed.add(node.state)
9.          for child in Expand(node, problem)
10.             if (child.state in closed) continue
11.             child.f = child.g + h(child)
12.             if (any node in open with state = child.state and g <= child.g) continue
13.             if (any node in open with state = child.state and g > child.g)
14.                 update_in_open_list(node_in_open, child)
15.             else open.add(child)
```

# A\* Example

- Example Removed, see improved version in Lecture 8 slides

# Update Open = Huge Savings!

- By updating the node in the open list instead of adding a new one, we now only have max of 1 state on the open list
- We can now pre-allocate all nodes in a 2D grid of size of the map
- `all_nodes[x][y] = Node((x,y))`
- Max nodes generated =  $x*y$
- Open list now stores pointers to nodes

# Constant Time Node Lookup

- Want to know if a state is in a node in the open list to look up its g cost
- Previously had to scan the list for node
- We can now simply look up in array
  - `all_nodes[x][y]`
- IMPORTANT:
  - Must re-sort open list upon updating a node